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[62] M. Yousif, I. Amin, and Y. Ibrahim. D3-modules. *Communications in Algebra*, 42(2):578–592, (2014).

List of Publications

1. **Shiv Kumar**, Ashok Ji Gupta, *Principally quasi-dual-Baer Modules*, ***Palestine Journal of Mathematics*** (Accepted-2022).

2. **Shiv Kumar**, Ashok Ji Gupta, *Purely Extending Modules and Their Generalizations*, ***Kyungpook Mathematical Journal*** (Accepted-2022).

3. **Shiv Kumar**, Ashok Ji Gupta, Σ-*dual-Rickart Modules.*
   (Communicated)

4. **Shiv Kumar**, Ashok Ji Gupta, *Finite* Σ-*dual-Rickart Modules.*
   (Communicated)

5. **Shiv Kumar**, Ashok Ji Gupta, and A. Majidinya, *Modules whose Endomorphism ring is Centrally AIP.*
   (Communicated)