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[1] **Nikhil Srivastava** and Vineet Kumar Singh, "L3 approximation for Caputo derivative and its application to time-fractional wave equation-(I)" **Mathematics and Computers in Simulation** (Elsevier) 205 (3): 532-557, 2023. DOI: https://doi.org/10.1016/j.matcom.2022.10.003.

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[1] Aman Singh, **Nikhil Srivastava**, Yashveer Kumar, Vineet Kumar Singh, "Computational approach for two dimensional fractional integro differential equations" (revision submitted) **International Journal of Computer Mathematics** (Taylor & Francis).

[2] **Nikhil Srivastava**, Yashveer Kumar and Vineet Kumar Singh, "A new difference scheme for time-fractional telegraph equation" Communicated.

[3] Priyanka Rajput, **Nikhil Srivastava**, Vineet Kumar Singh, "Higher order numerical algorithm for the variable order sub-diffusion equation" Communicated.

[4] Priyanka Rajput, **Nikhil Srivastava**, Vineet Kumar Singh, "A high order numerical method for the variable order time-fractional reaction-diffusion equation" Communicated.