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4. A. Singh, D. Ghosh, and Q. H. Ansari. Inexact Newton Method for Solving Generalized Nash Equilibrium Problems. *Journal of Applied Mathematics and Computing*. (Under review)
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