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List of Publications

(Published)

1. **Kushal Dhar Dwivedi**, Rajeev, S. Das, D. Baleanu, "Numerical Solution of Nonlinear Space–Time Fractional-Order Advection–Reaction–Diffusion Equation", *Journal of Computational and Nonlinear Dynamics, (ASME)*, **15**(2020)061005.

2. **Kushal Dhar Dwivedi**, Rajeev, S. Das, "Fibonacci Collocation Method to solve two-dimensional nonlinear fractional order advection-reaction diffusion equation", *Special Topics & Reviews in Porous Media: An International Journal, (Begel House)*, **10**(2019)569-584.

3. **Kushal Dhar Dwivedi**, S. Das, Rajeev, D. Baleanu, "Numerical solution of highly non-linear fractional order reaction advection diffusion equation using cubic B-spline collocation method", *International Journal of Nonlinear Sciences and Numerical Simulation, (De Gruyter)*(2021) doi.org/10.1515/ijnsns-2020-0112.

4. **Kushal Dhar Dwivedi**, S. Das, "Numerical solution of the nonlinear diffusion equation by using non-standard/standard finite difference and Fibonacci collocation methods", *The European Physical Journal Plus, (Springer)*, **134**(2019)608.

5. **Kushal Dhar Dwivedi**, Rajeev, S. Das, J.F. Gomez-Aguilar, "Finite difference/-collocation method to solve multi term variable-order fractional reaction-advection-diffusion equation in heterogeneous medium", *Numerical Methods for Partial Differential Equations, (Wiley)*, **37**(2020)2031-2045.

6. **Kushal Dhar Dwivedi**, Rajeev, "Numerical solution of fractional order advection reaction diffusion equation with Fibonacci neural network", *Neural Processing Letters, (Springer)*, **53**(2021)2687–2699.