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List of Publications

1. **Dixit, A.**, Sahu, D. R., Singh, A. K., and Som, T. (2020). Application of a new accelerated algorithm to regression problems. Soft Computing, 24(2), 1539-1552.

2. **Dixit, A.**, Sahu, D. R., Gautam, P., and Som, T. (2021). Convergence analysis of two-step inertial Douglas-Rachford algorithm and application. Journal of Applied Mathematics and Computing, 1-25.

3. **Dixit, A.**, Sahu, D. R., Gautam, P., and Som, T. and Yao, J.C. (2021). An accelerated forward-backward splitting algorithm for solving inclusion problems with applications to regression and link prediction problems, J. Nonlinear Var. Anal. 5, 79-101.

4. **Dixit, A.**, Sahu, D. R., Gautam, P., and Som, T. (2021) Strongly convergent Algorithms to Solve Monotone Inclusion Problems. Optimization (Submitted).

5. Som, T., Gautam, P., **Dixit, A.**, and Sahu, D. R. (2020). Different Techniques to Solve Monotone Inclusion Problems. Mathematical Methods in Interdisciplinary Sciences, 413-431.