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Figure 3.1: $\quad$ Schematic of the computational domain of the initial-boundaryvalue problem when the metal bends to form a corner of angle $\alpha \in(0, \pi)$. Materials A and B are dielectric and metallic, respectively. The computational domain is bounded by three perfectly matched layers. The point labeled $R$ is identified as the transmission point, and the point $S$ as the reception point. Point Q is chosen for analysis of the signal scattered in the region occupied by material A beyond the corner.

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Multiply by $1.1375 \times 10^{-4} \mathrm{~W} \mathrm{~m}^{-2}$ to obtain unnormalized $P_{x}(x, z, t)$.

Figure 3.3: Temporal profile of normalized $P_{a x}\left(x_{R}, z_{R}, t\right)$ when $d_{R}=8 \lambda_{c}$, $\lambda_{c}=500 \mathrm{~nm}$, and $\alpha=135^{\circ}$. The transmitted signal (left) and the reflected signal (right) at point R are sufficiently separated from each other in time to be distinctly identified. Multiply by $1.1375 \times 10^{-4} \mathrm{~W} \mathrm{~m}^{-2}$ to obtain unnormalized $P_{a x}\left(x_{R}, z_{R}, t\right)$.

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Figure 4.1: Schematic of the computational domain of the initial-boundaryvalue problem for information transfer by a pulse-modulated SPP wave guided by a silver/silicon interface across a wall between
silicon and another material. The signal is launched on the plane $x=a$ at time $t=0$ and the wall between silver and either (a) air or (b) silver is identified as $\{x=0,-\infty<y<\infty, z>0\}$. (c) Silicon continues beyond the plane $x=0$ in the half-space $z>0$.

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Figure 4.4: Temporal profile of normalized $P_{x}\left(x_{\mathrm{R}}, z_{\mathrm{R}}, t\right)$ when $\lambda_{c}=1200 \mathrm{~nm}$; $d_{\mathrm{R}}=3.5 \lambda_{c} ; \mathfrak{R}_{C}$ is occupied by (left) air, (middle) silver, and (right) silicon; and $\mathfrak{R}_{D}$ is occupied by silver. Each profile is of the tail of the transmitted signal (red curve) followed by the reflected signal (green curve) at point R. Multiply by $6.8 \times 10^{-6}$ $\mathrm{W} \mathrm{m}{ }^{-2}$ to obtain unnormalized $P_{x}\left(x_{\mathrm{R}}, z_{\mathrm{R}}, t\right)$.

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Figure A.1: $\quad$ Schematic of the PML region surrounding $\mathfrak{R}$.

